

# Japanese alternative questions and a unified in-situ semantics for *ka*

Wataru Uegaki  
Leiden University  
`w.uegaki@hum.leidenuniv.nl`

slides available at: [bit.ly/sub-ka](http://bit.ly/sub-ka)

Sinn und Bedeutung 21  
University of Edinburgh, September 6th, 2016



## Introduction: multi-functionality of Japanese *ka*

- (1) Taro-ga utatta-**ka**  
Taro-NOM sang-KA  
'Did Taro sing?' Question particle (polar-Q)
- (2) Dare-ga utatta-**ka**  
who-NOM sang-KA  
'Who sang?' Question particle (wh-Q)
- (3) [Dare-**ka**]-ga utatta  
who-KA -NOM sang  
'Someone sang.' wh-indefinite
- (4) [Taro-**ka** Jiro-**ka**]-ga utatta  
Taro-KA Jiro-KA -NOM sang  
'Taro or Jiro sang.' disjunctive statement

- Similar multi-functionality of Q-particles in different languages. E.g., Malayalam (Jayaseelan 2001), Sinhala (Slade 2010), Tlingit (Cable 2011), Hungarian (Szabolcsi 2014).





## Introduction: multi-functionality of Japanese *ka*

- (1) Taro-ga utatta-**ka**  
Taro-NOM sang-KA  
'Did Taro sing?'                      Question particle (polar-Q)
- (2) Dare-ga utatta-**ka**  
who-NOM sang-KA  
'Who sang?'                              Question particle (wh-Q)
- (3) [ Dare-**ka** ]-ga utatta  
who-KA -NOM sang  
'Someone sang.'                              wh-indefinite
- (4) [ Taro-**ka** Jiro-**ka** ]-ga utatta  
Taro-KA Jiro-KA -NOM sang  
'Taro or Jiro sang.'                              disjunctive statement

- ▶ Similar multi-functionality of Q-particles in different languages. E.g., Malayalam (Jayaseelan 2001), Sinhala (Slade 2010), Tlingit (Cable 2011), Hungarian (Szabolcsi 2014).

# Research questions

## Overarching research question

How can we account for the multi-functionality of *ka* with a **unified semantics**?

I will tackle this question by addressing the following two sub-questions in turn:

### 1. Explaining the two interpretations of *wh+ka*

How can we account for the fact that *wh-ka* constructions give rise to *wh-questions* and *indefinites*, depending on the syntactic position of *ka*?

### 2. Extending the analysis to the use of *ka* as a disj-marker

How can we extend the analysis of *ka* in *wh+ka* constructions to its use as a *disjunction marker*?

# Research questions

## Overarching research question

How can we account for the multi-functionality of *ka* with a **unified semantics**?

I will tackle this question by addressing the following two sub-questions in turn:

### 1. Explaining the two interpretations of *wh+ka*

How can we account for the fact that *wh-ka* constructions give rise to ***wh*-questions** and **indefinites**, depending on the syntactic position of *ka*?

### 2. Extending the analysis to the use of *ka* as a disj-marker

How can we extend the analysis of *ka* in *wh+ka* constructions to its use as a **disjunction marker**?

# Research questions

## Overarching research question

How can we account for the multi-functionality of *ka* with a **unified semantics**?

I will tackle this question by addressing the following two sub-questions in turn:

### 1. Explaining the two interpretations of *wh+ka*

How can we account for the fact that *wh-ka* constructions give rise to ***wh*-questions** and **indefinites**, depending on the syntactic position of *ka*?

### 2. Extending the analysis to the use of *ka* as a disj-marker

How can we extend the analysis of *ka* in *wh+ka* constructions to its use as a **disjunction marker**?

## Previous accounts of *wh+ka*

Shimoyama (2006) assumes **distinct lexical entries** with distinct syntactic distributions for the  $\exists$ -*ka* and the Q-particle *ka*.

Hagstrom (1998) *ka* in *wh-ka* constructions has a uniform semantics (i.e., an existential quantifier over choice functions). Its overt distribution is constrained by **whether the complementizer is  $C_{[+int]}$  or  $C_{[-int]}$** . The choice of the complementizer also has different semantic consequences. (cf. Yatsushiro 2009)

- ▶ My goal is to propose a semantics that does *not* involve a semantic ambiguity either at *ka* or at the level of an operator that constrains the distribution of *ka*.
- ▶ It also turns out that both accounts cannot be properly extended to *ka*-disjunctions.

## Previous accounts of *wh+ka*

Shimoyama (2006) assumes **distinct lexical entries** with distinct syntactic distributions for the  $\exists$ -*ka* and the Q-particle *ka*.

Hagstrom (1998) *ka* in *wh-ka* constructions has a uniform semantics (i.e., an existential quantifier over choice functions). Its overt distribution is constrained by **whether the complementizer is  $C_{[+int]}$  or  $C_{[-int]}$** . The choice of the complementizer also has different semantic consequences. (cf. Yatsushiro 2009)

- ▶ My goal is to propose a semantics that does *not* involve a semantic ambiguity either at *ka* or at the level of an operator that constrains the distribution of *ka*.
- ▶ It also turns out that both accounts cannot be properly extended to *ka*-disjunctions.

## Previous accounts of *wh+ka*

Shimoyama (2006) assumes **distinct lexical entries** with distinct syntactic distributions for the  $\exists$ -*ka* and the Q-particle *ka*.

Hagstrom (1998) *ka* in *wh-ka* constructions has a uniform semantics (i.e., an existential quantifier over choice functions). Its overt distribution is constrained by **whether the complementizer is  $C_{[+int]}$  or  $C_{[-int]}$** . The choice of the complementizer also has different semantic consequences. (cf. Yatsushiro 2009)

- ▶ My goal is to propose a semantics that does *not* involve a semantic ambiguity either at *ka* or at the level of an operator that constrains the distribution of *ka*.
- ▶ It also turns out that both accounts cannot be properly extended to *ka*-disjunctions.

## Previous accounts of *wh+ka*

Shimoyama (2006) assumes **distinct lexical entries** with distinct syntactic distributions for the  $\exists$ -*ka* and the Q-particle *ka*.

Hagstrom (1998) *ka* in *wh-ka* constructions has a uniform semantics (i.e., an existential quantifier over choice functions). Its overt distribution is constrained by **whether the complementizer is  $C_{[+int]}$  or  $C_{[-int]}$** . The choice of the complementizer also has different semantic consequences. (cf. Yatsushiro 2009)

- ▶ My goal is to propose a semantics that does *not* involve a semantic ambiguity either at *ka* or at the level of an operator that constrains the distribution of *ka*.
- ▶ It also turns out that both accounts cannot be properly extended to *ka*-disjunctions.

# Preview of the proposal

## The semantics of *ka*

*ka* copies the **set of alternatives** in the alternative-semantic value of the prejacent to the ordinary-semantic value (Beck '06; Kotek '14').

## Existential closure

The set of alternatives brought out by *ka* undergoes **existential closure** when it is semantically combined with a predicate that is **incompatible with sets**.

## The semantics of *ka*-disjunctions

The *ka*-disjunction of the form  $\alpha$ -*ka*  $\beta$ -*ka* denotes the set  $\{\alpha, \beta\}$ .

- ▶ Each *ka*-phrase denotes a **singleton set**:  $\{\alpha\}$  and  $\{\beta\}$ .
- ▶ The structure of disjunctions involves a **union**:  $\{\alpha\} \cup \{\beta\}$

- ▶ The multiple functions of *ka* fall out from the interaction of these three semantic components.

# Preview of the proposal

## The semantics of *ka*

*ka* copies the **set of alternatives** in the alternative-semantic value of the prejacent to the ordinary-semantic value (Beck '06; Kotek '14').

## Existential closure

The set of alternatives brought out by *ka* undergoes **existential closure** when it is semantically combined with a predicate that is **incompatible with sets**.

## The semantics of *ka*-disjunctions

The *ka*-disjunction of the form  $\alpha$ -*ka*  $\beta$ -*ka* denotes the set  $\{\alpha, \beta\}$ .

- ▶ Each *ka*-phrase denotes a **singleton set**:  $\{\alpha\}$  and  $\{\beta\}$ .
- ▶ The structure of disjunctions involves a **union**:  $\{\alpha\} \cup \{\beta\}$

- ▶ The multiple functions of *ka* fall out from the interaction of these three semantic components.

# Preview of the proposal

## The semantics of *ka*

*ka* copies the **set of alternatives** in the alternative-semantic value of the prejacent to the ordinary-semantic value (Beck '06; Kotek '14').

## Existential closure

The set of alternatives brought out by *ka* undergoes **existential closure** when it is semantically combined with a predicate that is **incompatible with sets**.

## The semantics of *ka*-disjunctions

The *ka*-disjunction of the form  $\alpha$ -*ka*  $\beta$ -*ka* denotes the set  $\{\alpha, \beta\}$ .

- ▶ Each *ka*-phrase denotes a **singleton set**:  $\{\alpha\}$  and  $\{\beta\}$  .
- ▶ The structure of disjunctions involves a **union**:  $\{\alpha\} \cup \{\beta\}$

- ▶ The multiple functions of *ka* fall out from the interaction of these three semantic components.

# Outline

1. Data
  - 1.1 Syntactic conditions on the interpretation of *wh-ka*
  - 1.2 Syntactic conditions on the interpretation of *ka*-disjunctions
  - 1.3 A generalization across the two constructions
2. Analysis of *wh-ka* constructions
3. Extension to *ka*-disjunctions
4. Embedding under proposition-taking predicates
5. Conclusions

## 1. Data

1.1 Syntactic conditions on the interpretation of *wh-ka*

1.2 Syntactic conditions on the interpretation of  
*ka*-disjunctions

1.3 A generalization across the two constructions

2. Analysis of *wh-ka* constructions

3. Extension to *ka*-disjunctions

4. Embedding under proposition-taking predicates

5. Conclusions

## Syntactic conditions on the interpretation of *wh-ka*

(5) a. [ **Dare-ka** ]-ga utatta.

who-KA -NOM sang

'Someone sang.'

∃-statement

b. **Dare-ga** utatta-**ka**.

who-NOM sang-KA

'Who sang?'

wh-Q

(6) a. Taro-ga [ **nani-ka** ] -o mita.

Taro-NOM what-KA -ACC saw

'Taro saw something.'

∃-statement

b. Taro-ga **nani-o** mita-**ka**

Taro-NOM what-ACC saw-KA

'What did Taro see?'

wh-Q

▶ The *ka*-phrase is **smaller than a CP** ⇒ ∃-statement

▶ The *ka*-phrase forms a **CP** ⇒ wh-Q

## Syntactic conditions on the interpretation of *wh-ka*

- (5) a. [ **Dare-ka** ]-ga utatta.  
who-KA -NOM sang  
'Someone sang.' ∃-statement
- b. **Dare**-ga utatta-**ka**.  
who-NOM sang-KA  
'Who sang?' wh-Q
- (6) a. Taro-ga [ **nani-ka** ] -o mita.  
Taro-NOM what-KA -ACC saw  
'Taro saw something.' ∃-statement
- b. Taro-ga **nani**-o mita-**ka**  
Taro-NOM what-ACC saw-KA  
'What did Taro see?' wh-Q

- ▶ The *ka*-phrase is smaller than a CP  $\Rightarrow$   $\exists$ -statement
- ▶ The *ka*-phrase forms a CP  $\Rightarrow$  wh-Q

## Syntactic conditions on the interpretation of *wh-ka*

(5) a. [ **Dare-ka** ]-ga utatta.  
who-KA -NOM sang  
'Someone sang.'

∃-statement

b. **Dare**-ga utatta-**ka**.  
who-NOM sang-KA  
'Who sang?'

wh-Q

(6) a. Taro-ga [ **nani-ka** ] -o mita.  
Taro-NOM what-KA -ACC saw  
'Taro saw something.'

∃-statement

b. Taro-ga **nani**-o mita-**ka**  
Taro-NOM what-ACC saw-KA  
'What did Taro see?'

wh-Q

▶ The *ka*-phrase is **smaller than a CP** ⇒ ∃-statement

▶ The *ka*-phrase forms a **CP** ⇒ wh-Q

## Syntactic conditions on the interpretation of $\alpha$ -ka $\beta$ -ka.

- ▶ Syntactically, *ka*-disjunctions can be either DP, TP or CP (Kishimoto 2013; Uegaki 2014; Miyama 2015)

(7) [<sub>DP</sub>[Taro-ka] [Jiro-ka] ]-ga utatta  
Taro-KA Jiro-KA sang  
'Taro or Jiro sang.' V-statement

(8) [<sub>TP</sub>[Taro-ga utatta-ka] [Jiro-ga utatta-ka] ] mitai-da  
Taro-NOM sang-KA Jiro-NOM sang-KA seem-COP  
'It seems that Taro or Jiro sang.' V-statement

(9) [<sub>CP</sub>[Taro-ga utatta-ka] [Jiro-ga utatta-ka]]  
Taro-NOM sang-KA Jiro-NOM sang-KA  
'Which is true: Taro sang or Jiro sang?' alt-Q

- ▶  $\alpha$ -ka  $\beta$ -ka is **smaller than a CP**  $\Rightarrow$  V-statement
- ▶  $\alpha$ -ka  $\beta$ -ka forms a **CP**  $\Rightarrow$  alt-Q

## Syntactic conditions on the interpretation of $\alpha$ -ka $\beta$ -ka.

- ▶ Syntactically, *ka*-disjunctions can be either DP, TP or CP (Kishimoto 2013; Uegaki 2014; Miyama 2015)

(7) [<sub>DP</sub>[Taro-ka] [Jiro-ka] ]-ga utatta  
Taro-KA Jiro-KA sang  
'Taro or Jiro sang.' V-statement

(8) [<sub>TP</sub>[Taro-ga utatta-ka] [Jiro-ga utatta-ka] ] mitai-da  
Taro-NOM sang-KA Jiro-NOM sang-KA seem-COP  
'It seems that Taro or Jiro sang.' V-statement

(9) [<sub>CP</sub>[Taro-ga utatta-ka] [Jiro-ga utatta-ka]]  
Taro-NOM sang-KA Jiro-NOM sang-KA  
'Which is true: Taro sang or Jiro sang?' alt-Q

- ▶  $\alpha$ -ka  $\beta$ -ka is **smaller than a CP**  $\Rightarrow$  V-statement
- ▶  $\alpha$ -ka  $\beta$ -ka forms a **CP**  $\Rightarrow$  alt-Q







## Generalization across two constructions

	smaller than a CP	CP
<i>wh...ka</i>	$\exists$ -statement	wh-Q
<i><math>\alpha</math>-ka <math>\beta</math>-ka</i>	$\forall$ -statement	alt-Q

Table: Summary of the data

Generalization: the position of *ka* determines the interpretation of *ka*-phrases

When the *ka*-phrase is **smaller than a CP**, it gives rise to an **existential statement**. On the other hand, when it **forms the a CP**, it gives rise to a **question** associated with alternatives contributed by the *wh*-item/disjunction.

## Generalization across two constructions

	smaller than a CP	CP
<i>wh...ka</i>	$\exists$ -statement	wh-Q
<i><math>\alpha</math>-ka <math>\beta</math>-ka</i>	$\forall$ -statement	alt-Q

Table: Summary of the data

Generalization: the position of *ka* determines the interpretation of *ka*-phrases

When the *ka*-phrase is **smaller than a CP**, it gives rise to an **existential statement**. On the other hand, when it **forms the a CP**, it gives rise to a **question** associated with alternatives contributed by the wh-item/disjunction.

1. Data
  - 1.1 Syntactic conditions on the interpretation of *wh-ka*
  - 1.2 Syntactic conditions on the interpretation of *ka*-disjunctions
  - 1.3 A generalization across the two constructions
2. **Analysis of *wh-ka* constructions**
3. Extension to *ka*-disjunctions
4. Embedding under proposition-taking predicates
5. Conclusions

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Analysis in a nutshell

- ▶ Semantic composition in two tiers (Rooth 1985; Beck 2006, a.o.):
  - ▶ o(ordinary-semantic) value
  - ▶ alt(ernative-semantic) value (sets)
- ▶ *ka* always copies the set of alternatives in the alt-value of the prejacent to the o-value.
- ▶ Predicates are divided into two classes:
  - ▶ Set-compatible predicates: *know, tell, ask...*
  - ▶ Set-incompatible predicates: *sing, believe, seem*
- ▶ A *ka*-phrase as a sub-CP item is...
  - ▶ by itself incompatible with a CP-internal predicate (which are always set-incompatible).
  - ▶ The existential closure  $\exists$  as a repair.
- ▶ A *ka*-phrase as a CP...
  - ▶ expresses a question by itself. Or, it can be embedded under set-compatible clause-embedding predicates.
  - ▶ No existential closure.

# Lexical entries

(10) *ka* 'copies' the set in the alt-value to the o-value

$$\text{a. } \llbracket \alpha \text{ ka} \rrbracket^o = \llbracket \alpha \rrbracket^{alt} \quad \text{b. } \llbracket \alpha \text{ ka} \rrbracket^{alt} = \{ \llbracket \alpha \rrbracket^{alt} \}$$

(11) *wh*-items introduce sets of alternatives in the alt-value

$$\text{a. } \llbracket \text{dare} \rrbracket^o = \text{undefined} \quad \text{b. } \llbracket \text{dare} \rrbracket^{alt} = \{x \mid x \in \text{human}\}$$

(12) Set-incompatible predicates

$$\text{a. } \llbracket \text{utatta} \rrbracket^o = \lambda x_e. \text{sang}(x) \\ \text{b. } \llbracket \text{utatta} \rrbracket^{alt} = \{ \lambda x_e. \text{sang}(x) \}$$

(13) Set-compatible predicates (New type  $\{\sigma\}$ : a set of  $\sigma$  objects)

$$\text{a. } \llbracket \text{shitteiru} \rrbracket^o = \lambda Q_{\{\langle s, t \rangle\}} \lambda x. \text{know}(x, Q) \\ \text{b. } \llbracket \text{shitteiru} \rrbracket^{alt} = \{ \lambda Q_{\{\langle s, t \rangle\}} \lambda x. \text{know}(x, Q) \}$$

(14) Existential closure

$$\text{a. } \llbracket \exists \rrbracket^o = \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma, t \rangle}. \exists x \in Q [P(x)] \\ \text{b. } \llbracket \exists \rrbracket^{alt} = \{ \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma, t \rangle}. \exists x \in Q [P(x)] \}$$

# Lexical entries

- (10) *ka* 'copies' the set in the alt-value to the o-value
- a.  $\llbracket \alpha \text{ ka} \rrbracket^o = \llbracket \alpha \rrbracket^{alt}$       b.  $\llbracket \alpha \text{ ka} \rrbracket^{alt} = \{ \llbracket \alpha \rrbracket^{alt} \}$
- (11) *wh*-items introduce sets of alternatives in the alt-value
- a.  $\llbracket \text{dare} \rrbracket^o = \text{undefined}$       b.  $\llbracket \text{dare} \rrbracket^{alt} = \{x \mid x \in \text{human}\}$
- (12) Set-incompatible predicates
- a.  $\llbracket \text{utatta} \rrbracket^o = \lambda x_e. \text{sang}(x)$
- b.  $\llbracket \text{utatta} \rrbracket^{alt} = \{ \lambda x_e. \text{sang}(x) \}$
- (13) Set-compatible predicates (New type  $\{\sigma\}$ : a set of  $\sigma$  objects)
- a.  $\llbracket \text{shitteiru} \rrbracket^o = \lambda Q_{\{\langle s,t \rangle\}} \lambda x. \text{know}(x, Q)$
- b.  $\llbracket \text{shitteiru} \rrbracket^{alt} = \{ \lambda Q_{\{\langle s,t \rangle\}} \lambda x. \text{know}(x, Q) \}$
- (14) Existential closure
- a.  $\llbracket \exists \rrbracket^o = \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma,t \rangle}. \exists x \in Q [P(x)]$
- b.  $\llbracket \exists \rrbracket^{alt} = \{ \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma,t \rangle}. \exists x \in Q [P(x)] \}$

## Lexical entries

- (10) *ka* 'copies' the set in the alt-value to the o-value
- a.  $\llbracket \alpha \text{ ka} \rrbracket^o = \llbracket \alpha \rrbracket^{alt}$       b.  $\llbracket \alpha \text{ ka} \rrbracket^{alt} = \{ \llbracket \alpha \rrbracket^{alt} \}$
- (11) *wh*-items introduce sets of alternatives in the alt-value
- a.  $\llbracket \text{dare} \rrbracket^o = \text{undefined}$       b.  $\llbracket \text{dare} \rrbracket^{alt} = \{x \mid x \in \text{human}\}$
- (12) Set-incompatible predicates
- a.  $\llbracket \text{utatta} \rrbracket^o = \lambda x_e. \text{sang}(x)$
- b.  $\llbracket \text{utatta} \rrbracket^{alt} = \{ \lambda x_e. \text{sang}(x) \}$
- (13) Set-compatible predicates (New type  $\{\sigma\}$ : a set of  $\sigma$  objects)
- a.  $\llbracket \text{shitteiru} \rrbracket^o = \lambda Q_{\{\langle s,t \rangle\}} \lambda x. \text{know}(x, Q)$
- b.  $\llbracket \text{shitteiru} \rrbracket^{alt} = \{ \lambda Q_{\{\langle s,t \rangle\}} \lambda x. \text{know}(x, Q) \}$
- (14) Existential closure
- a.  $\llbracket \exists \rrbracket^o = \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma,t \rangle}. \exists x \in Q [P(x)]$
- b.  $\llbracket \exists \rrbracket^{alt} = \{ \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma,t \rangle}. \exists x \in Q [P(x)] \}$

# Lexical entries

- (10) *ka* 'copies' the set in the alt-value to the o-value
- a.  $\llbracket \alpha \text{ ka} \rrbracket^o = \llbracket \alpha \rrbracket^{alt}$       b.  $\llbracket \alpha \text{ ka} \rrbracket^{alt} = \{ \llbracket \alpha \rrbracket^{alt} \}$
- (11) *wh*-items introduce sets of alternatives in the alt-value
- a.  $\llbracket \text{dare} \rrbracket^o = \text{undefined}$       b.  $\llbracket \text{dare} \rrbracket^{alt} = \{x \mid x \in \text{human}\}$
- (12) Set-incompatible predicates
- a.  $\llbracket \text{utatta} \rrbracket^o = \lambda x_e. \text{sang}(x)$
- b.  $\llbracket \text{utatta} \rrbracket^{alt} = \{ \lambda x_e. \text{sang}(x) \}$
- (13) Set-compatible predicates (New type  $\{\sigma\}$ : a set of  $\sigma$  objects)
- a.  $\llbracket \text{shitteiru} \rrbracket^o = \lambda Q_{\{s,t\}} \lambda x. \text{know}(x, Q)$
- b.  $\llbracket \text{shitteiru} \rrbracket^{alt} = \{ \lambda Q_{\{s,t\}} \lambda x. \text{know}(x, Q) \}$
- (14) Existential closure
- a.  $\llbracket \exists \rrbracket^o = \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma, t \rangle}. \exists x \in Q [P(x)]$
- b.  $\llbracket \exists \rrbracket^{alt} = \{ \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma, t \rangle}. \exists x \in Q [P(x)] \}$

# Lexical entries

- (10) *ka* 'copies' the set in the alt-value to the o-value
- a.  $\llbracket \alpha \text{ ka} \rrbracket^o = \llbracket \alpha \rrbracket^{alt}$       b.  $\llbracket \alpha \text{ ka} \rrbracket^{alt} = \{ \llbracket \alpha \rrbracket^{alt} \}$
- (11) *wh*-items introduce sets of alternatives in the alt-value
- a.  $\llbracket \text{dare} \rrbracket^o = \text{undefined}$       b.  $\llbracket \text{dare} \rrbracket^{alt} = \{x \mid x \in \text{human}\}$
- (12) Set-incompatible predicates
- a.  $\llbracket \text{utatta} \rrbracket^o = \lambda x_e. \text{sang}(x)$
- b.  $\llbracket \text{utatta} \rrbracket^{alt} = \{ \lambda x_e. \text{sang}(x) \}$
- (13) Set-compatible predicates (New type  $\{\sigma\}$ : a set of  $\sigma$  objects)
- a.  $\llbracket \text{shitteiru} \rrbracket^o = \lambda Q_{\{\langle s, t \rangle\}} \lambda x. \text{know}(x, Q)$
- b.  $\llbracket \text{shitteiru} \rrbracket^{alt} = \{ \lambda Q_{\{\langle s, t \rangle\}} \lambda x. \text{know}(x, Q) \}$
- (14) Existential closure
- a.  $\llbracket \exists \rrbracket^o = \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma, t \rangle}. \exists x \in Q [P(x)]$
- b.  $\llbracket \exists \rrbracket^{alt} = \{ \lambda Q_{\{\sigma\}} \lambda P_{\langle \sigma, t \rangle}. \exists x \in Q [P(x)] \}$

# Semantic composition rules

- ▶ The semantic composition is done by **FA** or **Point-wise FA**.

(15) a. **Functional Application (FA)**

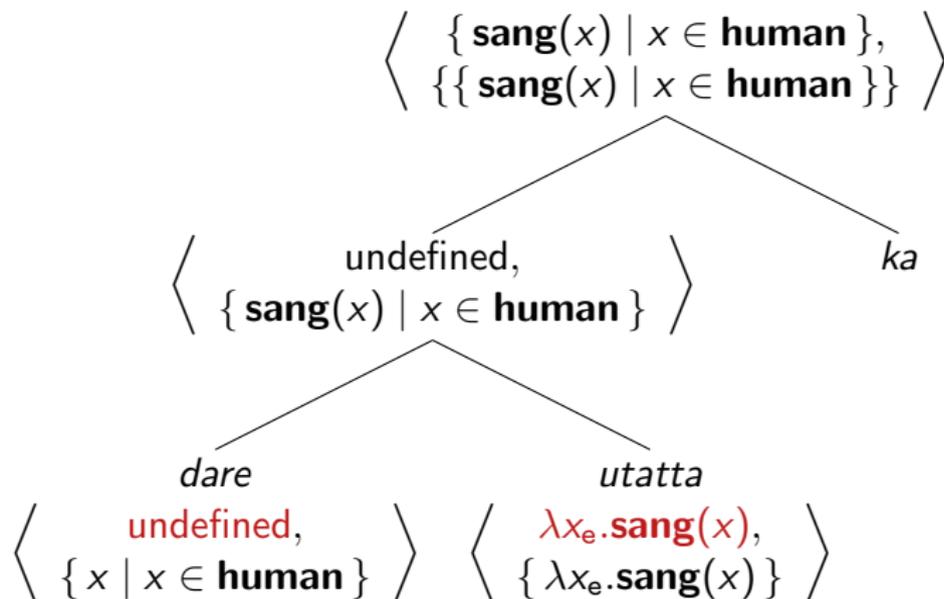
If the node  $\alpha$  has  $\{\beta, \gamma\}$  as the set of its daughters and  $\llbracket \beta \rrbracket^o \in D_\sigma$  and  $\llbracket \gamma \rrbracket^o \in D_{\langle \sigma, \tau \rangle}$ , then  $\llbracket \alpha \rrbracket^o = \llbracket \gamma \rrbracket^o(\llbracket \beta \rrbracket^o)$ .

b. **Point-wise Functional Application (PWFA)**

If the node  $\alpha$  has  $\{\beta, \gamma\}$  as the set of its daughters and  $\llbracket \beta \rrbracket^{alt} \subseteq D_\sigma$  and  $\llbracket \gamma \rrbracket^{alt} \subseteq D_{\langle \sigma, \tau \rangle}$ , then  $\llbracket \alpha \rrbracket^{alt} = \{ a \mid \exists f \in \llbracket \gamma \rrbracket^{alt} \exists b \in \llbracket \beta \rrbracket^{alt} [a = f(b)] \}$ .

## Illustration: *wh-ka* as a CP

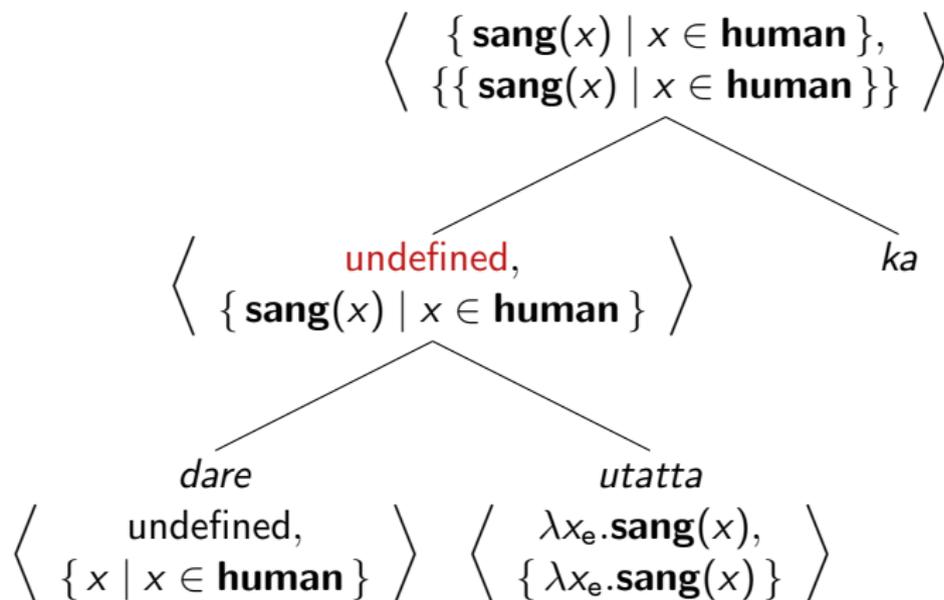
(16)



(cf. Beck 2006; Kotek 2014)

## Illustration: *wh-ka* as a CP

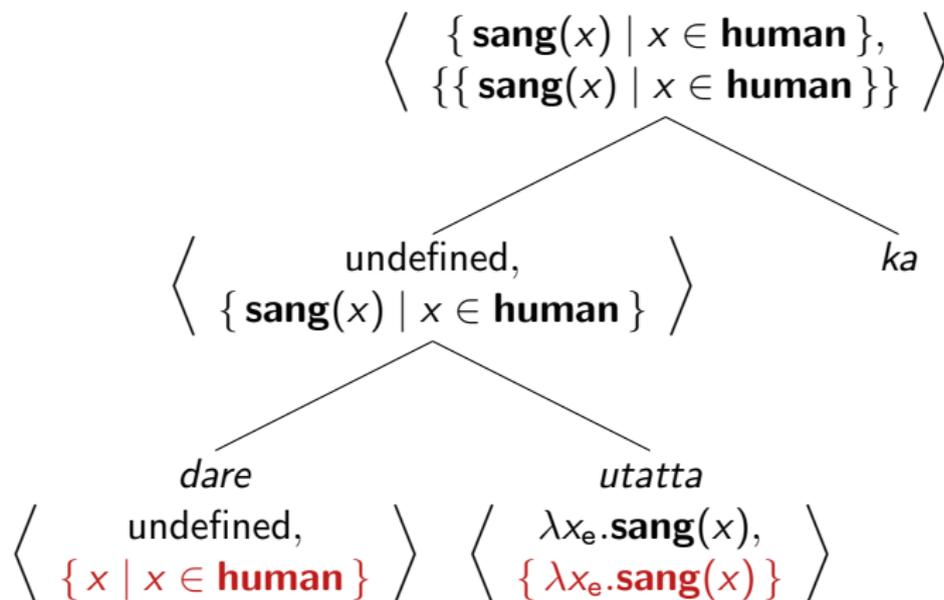
(16)



(cf. Beck 2006; Kotek 2014)

## Illustration: *wh-ka* as a CP

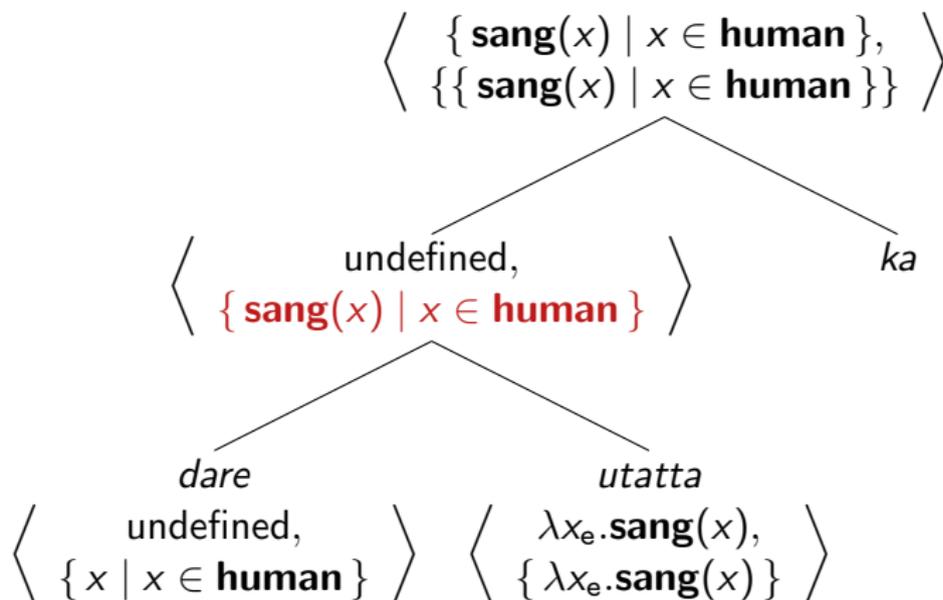
(16)



(cf. Beck 2006; Kotek 2014)

## Illustration: *wh-ka* as a CP

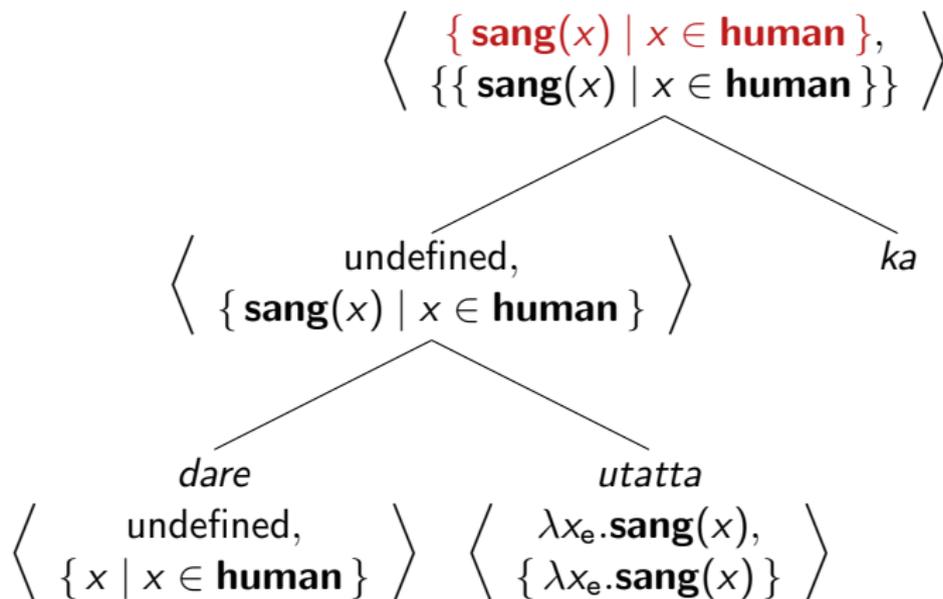
(16)



(cf. Beck 2006; Kotek 2014)

## Illustration: *wh-ka* as a CP

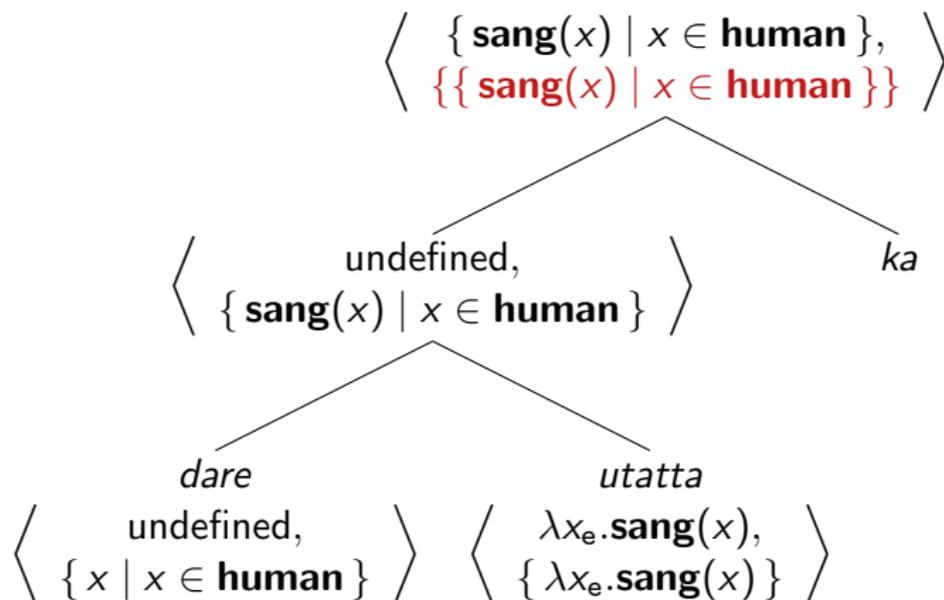
(16)



(cf. Beck 2006; Kotek 2014)

## Illustration: *wh-ka* as a CP

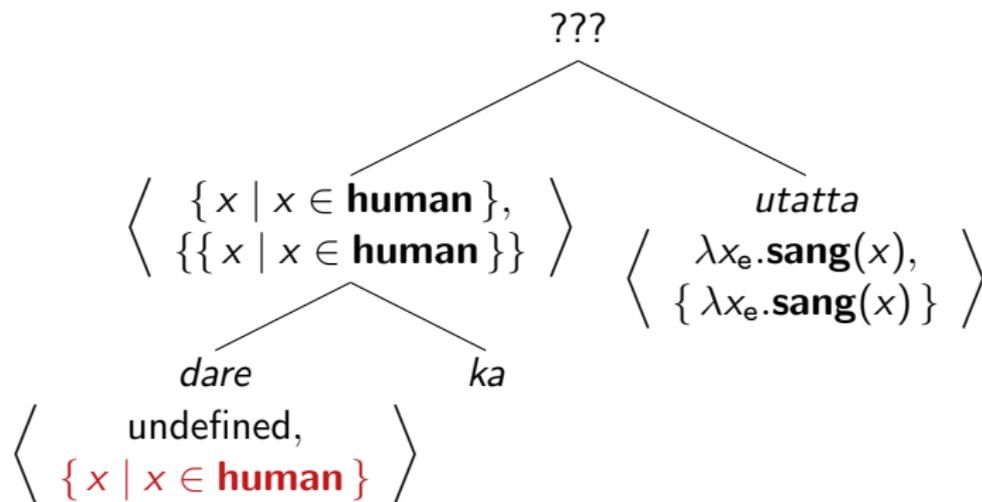
(16)



(cf. Beck 2006; Kotek 2014)

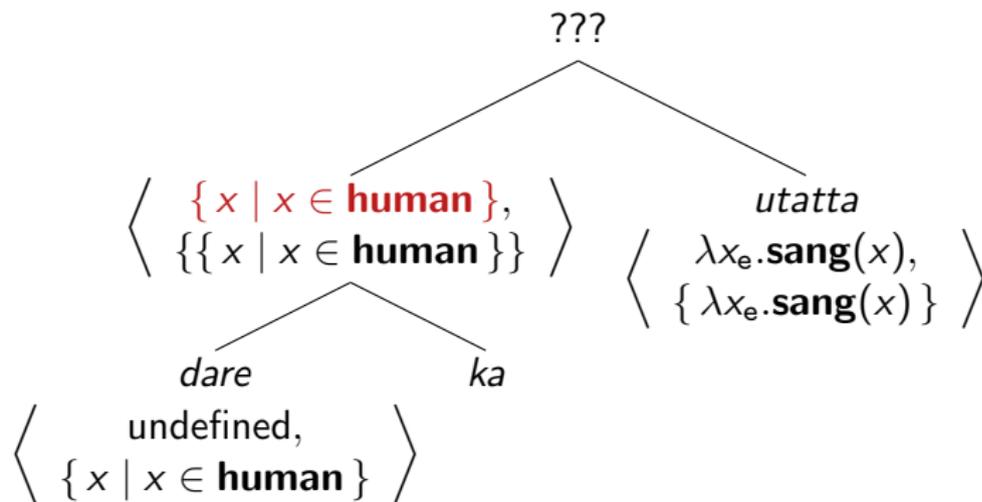
# Illustration: *wh-ka* as a sub-CP (i)

(17)



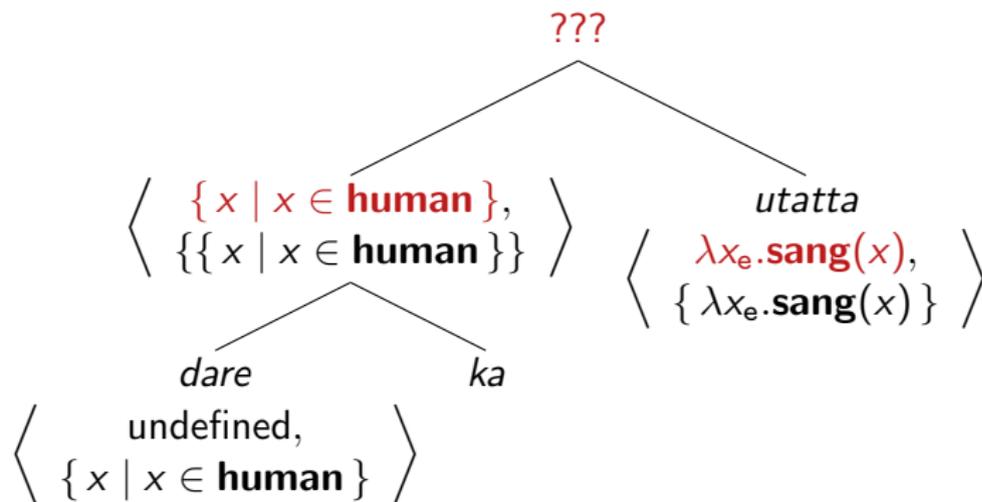
## Illustration: *wh-ka* as a sub-CP (i)

(17)



# Illustration: *wh-ka* as a sub-CP (i)

(17)



## Illustration: *wh-ka* as a sub-CP (ii)

(18)

$$\left\langle \begin{array}{l} \exists x \in \mathbf{human}[\mathbf{sang}(x)], \\ \{\exists x \in \mathbf{human}[\mathbf{sang}(x)]\} \end{array} \right\rangle$$

$$\left\langle \begin{array}{l} \lambda P_{\langle e,t \rangle}.\exists x \in \mathbf{human}[P(x)], \\ \{\lambda P_{\langle e,t \rangle}.\exists x \in \mathbf{human}[P(x)]\} \end{array} \right\rangle$$

$$\left\langle \begin{array}{l} \mathit{utatta} \\ \lambda x_e.\mathbf{sang}(x), \\ \{\lambda x_e.\mathbf{sang}(x)\} \end{array} \right\rangle$$

$$\left\langle \begin{array}{l} \{x \mid x \in \mathbf{human}\}, \\ \{\{x \mid x \in \mathbf{human}\}\} \end{array} \right\rangle \quad \exists$$

*dare*

*ka*

$$\left\langle \begin{array}{l} \text{undefined,} \\ \{x \mid x \in \mathbf{human}\} \end{array} \right\rangle$$



# Illustration: *wh-ka* as a sub-CP (ii)

(18)

$\langle \exists x \in \mathbf{human}[\mathbf{sang}(x)], \{\exists x \in \mathbf{human}[\mathbf{sang}(x)]\} \rangle$

$\langle \lambda P_{\langle e,t \rangle}.\exists x \in \mathbf{human}[P(x)], \{\lambda P_{\langle e,t \rangle}.\exists x \in \mathbf{human}[P(x)]\} \rangle$

*utatta*  
 $\langle \lambda x_e.\mathbf{sang}(x), \{\lambda x_e.\mathbf{sang}(x)\} \rangle$

$\langle \{x \mid x \in \mathbf{human}\}, \{\{x \mid x \in \mathbf{human}\}\} \rangle \exists$

*dare*

*ka*

$\langle \text{undefined}, \{x \mid x \in \mathbf{human}\} \rangle$

## Constraining the distribution of $\exists$

- ▶ If  $\exists$  is freely available, we would predict a **matrix CP *wh-ka*** to give rise to an  $\exists$ -statement optionally.
- ▶ This is empirically incorrect: matrix CP *wh-ka* is always a question.

### Existential closure as a repair of type-mismatch

The application of  $\exists$  is allowed only as a repair of a type-mismatch.

- ▶ Since a CP-*wh-ka* does not involve a type-mismatch,  $\exists$  is not allowed.
- ▶ What if a CP-*wh-ka* is embedded under **non-question-taking (i.e., set-incompatible) predicates** (e.g., *believe*)? I will come back to this issue later.

## Constraining the distribution of $\exists$

- ▶ If  $\exists$  is freely available, we would predict a **matrix CP *wh-ka*** to give rise to an  $\exists$ -statement optionally.
- ▶ This is empirically incorrect: matrix CP *wh-ka* is always a question.

### Existential closure as a repair of type-mismatch

The application of  $\exists$  is allowed only as a repair of a type-mismatch.

- ▶ Since a CP-*wh-ka* does not involve a type-mismatch,  $\exists$  is not allowed.
- ▶ What if a CP-*wh-ka* is embedded under **non-question-taking (i.e., set-incompatible) predicates** (e.g., *believe*)? I will come back to this issue later.

## Constraining the distribution of $\exists$

- ▶ If  $\exists$  is freely available, we would predict a **matrix CP *wh-ka*** to give rise to an  $\exists$ -statement optionally.
- ▶ This is empirically incorrect: matrix CP *wh-ka* is always a question.

### Existential closure as a repair of type-mismatch

The application of  $\exists$  is allowed only as a repair of a type-mismatch.

- ▶ Since a CP-*wh-ka* does not involve a type-mismatch,  $\exists$  is not allowed.
- ▶ What if a CP-*wh-ka* is embedded under **non-question-taking (i.e., set-incompatible) predicates** (e.g., *believe*)? I will come back to this issue later.

## Constraining the distribution of $\exists$

- ▶ If  $\exists$  is freely available, we would predict a **matrix CP *wh-ka*** to give rise to an  $\exists$ -statement optionally.
- ▶ This is empirically incorrect: matrix CP *wh-ka* is always a question.

### Existential closure as a repair of type-mismatch

The application of  $\exists$  is allowed only as a repair of a type-mismatch.

- ▶ Since a CP-*wh-ka* does not involve a type-mismatch,  $\exists$  is not allowed.
- ▶ What if a CP-*wh-ka* is embedded under **non-question-taking (i.e., set-incompatible) predicates** (e.g., *believe*)? I will come back to this issue later.

## Constraining the distribution of $\exists$

- ▶ If  $\exists$  is freely available, we would predict a **matrix CP *wh-ka*** to give rise to an  $\exists$ -statement optionally.
- ▶ This is empirically incorrect: matrix CP *wh-ka* is always a question.

### Existential closure as a repair of type-mismatch

The application of  $\exists$  is allowed only as a repair of a type-mismatch.

- ▶ Since a CP-*wh-ka* does not involve a type-mismatch,  $\exists$  is not allowed.
- ▶ What if a CP-*wh-ka* is embedded under **non-question-taking (i.e., set-incompatible) predicates** (e.g., *believe*)? I will come back to this issue later.

## Accounting for *ka* as a polar-Q particle

- (19) Taro-ga utatta-**ka**  
Taro-NOM sang-KA  
'Did Taro sing?'

polar-Q

- (20)  $\llbracket (19) \rrbracket^{\circ} = \{\text{sang}(\mathbf{t})\}$  (Roberts '96; Biezma & Rawlins '12, a.o.)

- ▶ The interrogative operator  $\langle ? \rangle$  'ensures' multiplicity of alternatives. (Roelofsen & Farkas 2015)

$$(21) \llbracket \langle ? \rangle \varphi \rrbracket^{\circ} = \begin{cases} \llbracket \varphi \rrbracket^{\circ} & \text{if } |\llbracket \varphi \rrbracket^{\circ}| > 1 \\ \llbracket \varphi \rrbracket^{\circ} \cup \{\neg \cup \llbracket \varphi \rrbracket^{\circ}\} & \text{if } |\llbracket \varphi \rrbracket^{\circ}| = 1 \end{cases}$$

$$(22) \llbracket \langle ? \rangle (19) \rrbracket^{\circ} = \{\text{sang}(\mathbf{t}), \neg \text{sang}(\mathbf{t})\}$$

- ▶ I assume that  $\langle ? \rangle$  is the interrogative complementizer, syntactically positioned above *ka*.

## Accounting for *ka* as a polar-Q particle

- (19) Taro-ga utatta-**ka**  
Taro-NOM sang-KA  
'Did Taro sing?'

polar-Q

- (20)  $\llbracket (19) \rrbracket^\circ = \{\mathbf{sang(t)}\}$  (Roberts '96; Biezma & Rawlins '12, a.o.)

- ▶ The interrogative operator  $\langle ? \rangle$  'ensures' multiplicity of alternatives. (Roelofsen & Farkas 2015)

$$(21) \llbracket \langle ? \rangle \varphi \rrbracket^\circ = \begin{cases} \llbracket \varphi \rrbracket^\circ & \text{if } |\llbracket \varphi \rrbracket^\circ| > 1 \\ \llbracket \varphi \rrbracket^\circ \cup \{\neg \cup \llbracket \varphi \rrbracket^\circ\} & \text{if } |\llbracket \varphi \rrbracket^\circ| = 1 \end{cases}$$

$$(22) \llbracket \langle ? \rangle (19) \rrbracket^\circ = \{\mathbf{sang(t)}, \neg \mathbf{sang(t)}\}$$

- ▶ I assume that  $\langle ? \rangle$  is the interrogative complementizer, syntactically positioned above *ka*.



## Accounting for *ka* as a polar-Q particle

- (19) Taro-ga utatta-**ka**  
Taro-NOM sang-KA  
'Did Taro sing?'

polar-Q

- (20)  $\llbracket (19) \rrbracket^\circ = \{\mathbf{sang(t)}\}$  (Roberts '96; Biezma & Rawlins '12, a.o.)

- ▶ The interrogative operator  $\langle ? \rangle$  'ensures' multiplicity of alternatives. (Roelofsen & Farkas 2015)

$$(21) \llbracket \langle ? \rangle \varphi \rrbracket^\circ = \begin{cases} \llbracket \varphi \rrbracket^\circ & \text{if } |\llbracket \varphi \rrbracket^\circ| > 1 \\ \llbracket \varphi \rrbracket^\circ \cup \{\neg \cup \llbracket \varphi \rrbracket^\circ\} & \text{if } |\llbracket \varphi \rrbracket^\circ| = 1 \end{cases}$$

$$(22) \llbracket \langle ? \rangle (19) \rrbracket^\circ = \{\mathbf{sang(t)}, \neg \mathbf{sang(t)}\}$$

- ▶ I assume that  $\langle ? \rangle$  is the interrogative complementizer, syntactically positioned above *ka*.

## Accounting for *ka* as a polar-Q particle

- (19) Taro-ga utatta-**ka**  
Taro-NOM sang-KA  
'Did Taro sing?'

polar-Q

- (20)  $\llbracket (19) \rrbracket^{\circ} = \{\mathbf{sang(t)}\}$  (Roberts '96; Biezma & Rawlins '12, a.o.)

- ▶ The interrogative operator  $\langle ? \rangle$  'ensures' multiplicity of alternatives. (Roelofsen & Farkas 2015)

$$(21) \llbracket \langle ? \rangle \varphi \rrbracket^{\circ} = \begin{cases} \llbracket \varphi \rrbracket^{\circ} & \text{if } |\llbracket \varphi \rrbracket^{\circ}| > 1 \\ \llbracket \varphi \rrbracket^{\circ} \cup \{\neg \cup \llbracket \varphi \rrbracket^{\circ}\} & \text{if } |\llbracket \varphi \rrbracket^{\circ}| = 1 \end{cases}$$

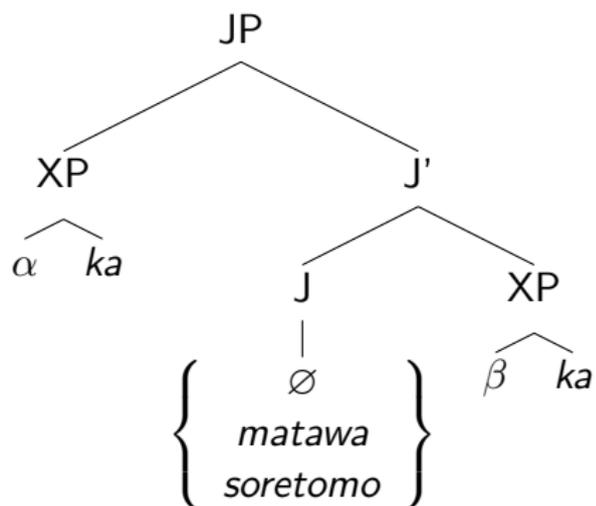
$$(22) \llbracket \langle ? \rangle (19) \rrbracket^{\circ} = \{\mathbf{sang(t)}, \neg \mathbf{sang(t)}\}$$

- ▶ I assume that  $\langle ? \rangle$  is the interrogative complementizer, syntactically positioned above *ka*.

1. Data
  - 1.1 Syntactic conditions on the interpretation of *wh-ka*
  - 1.2 Syntactic conditions on the interpretation of *ka*-disjunctions
  - 1.3 A generalization across the two constructions
2. Analysis of *wh-ka* constructions
3. **Extension to *ka*-disjunctions**
4. Embedding under proposition-taking predicates
5. Conclusions

# The structure of *ka*-disjunctions

(23)



(den Dikken 2006; Slade 2011; Mitrović & Sauerland 2014; Szabolcsi 2015)

# The interpretation of *ka*-disjunctions

(24) The J head  $\emptyset$  denotes the union operation

a.  $\llbracket \emptyset \rrbracket^{\circ} = \lambda X_{\{\sigma\}} \lambda Y_{\{\sigma\}}. X \cup Y$

b.  $\llbracket \emptyset \rrbracket^{alt} = \{ \lambda X_{\{\sigma\}} \lambda Y_{\{\sigma\}}. \{ \iota X \sqcup \iota Y \} \}$

(25) Some examples

a.  $\llbracket [\text{Taro-ka}]_{DP} \emptyset [\text{Jiro-ka}]_{DP} \rrbracket^{\circ} = \{ \mathbf{t} \} \cup \{ \mathbf{j} \} = \{ \mathbf{t}, \mathbf{j} \}$

b.  $\llbracket [\text{Taro-ga utatta-ka}]_{CP} \emptyset [\text{Jiro-ga utatta-ka}]_{CP} \rrbracket^{\circ}$   
 $= \{ \mathbf{sang}(\mathbf{t}) \} \cup \{ \mathbf{sang}(\mathbf{j}) \}$   
 $= \{ \mathbf{sang}(\mathbf{t}), \mathbf{sang}(\mathbf{j}) \}$

- ▶ In (25b), we already see how a CP-*ka*-disjunction gives rise to a semantic representation of an **alt-Q**, i.e., a set of alternative propositions.

# The interpretation of *ka*-disjunctions

(24) The J head  $\emptyset$  denotes the union operation

a.  $\llbracket \emptyset \rrbracket^{\circ} = \lambda X_{\{\sigma\}} \lambda Y_{\{\sigma\}}. X \cup Y$

b.  $\llbracket \emptyset \rrbracket^{alt} = \{\lambda X_{\{\sigma\}} \lambda Y_{\{\sigma\}}. \{\iota X \sqcup \iota Y\}\}$

(25) Some examples

a.  $\llbracket [\text{Taro-ka}]_{DP} \emptyset [\text{Jiro-ka}]_{DP} \rrbracket^{\circ} = \{\mathbf{t}\} \cup \{\mathbf{j}\} = \{\mathbf{t}, \mathbf{j}\}$

b.  $\llbracket [\text{Taro-ga utatta-ka}]_{CP} \emptyset [\text{Jiro-ga utatta-ka}]_{CP} \rrbracket^{\circ}$   
 $= \{\mathbf{sang}(\mathbf{t})\} \cup \{\mathbf{sang}(\mathbf{j})\}$   
 $= \{\mathbf{sang}(\mathbf{t}), \mathbf{sang}(\mathbf{j})\}$

- In (25b), we already see how a CP-*ka*-disjunction gives rise to a semantic representation of an *alt-Q*, i.e., a set of alternative propositions.

# The interpretation of *ka*-disjunctions

(24) The J head  $\emptyset$  denotes the union operation

a.  $\llbracket \emptyset \rrbracket^{\circ} = \lambda X_{\{\sigma\}} \lambda Y_{\{\sigma\}}. X \cup Y$

b.  $\llbracket \emptyset \rrbracket^{alt} = \{ \lambda X_{\{\sigma\}} \lambda Y_{\{\sigma\}}. \{ \iota X \sqcup \iota Y \} \}$

(25) Some examples

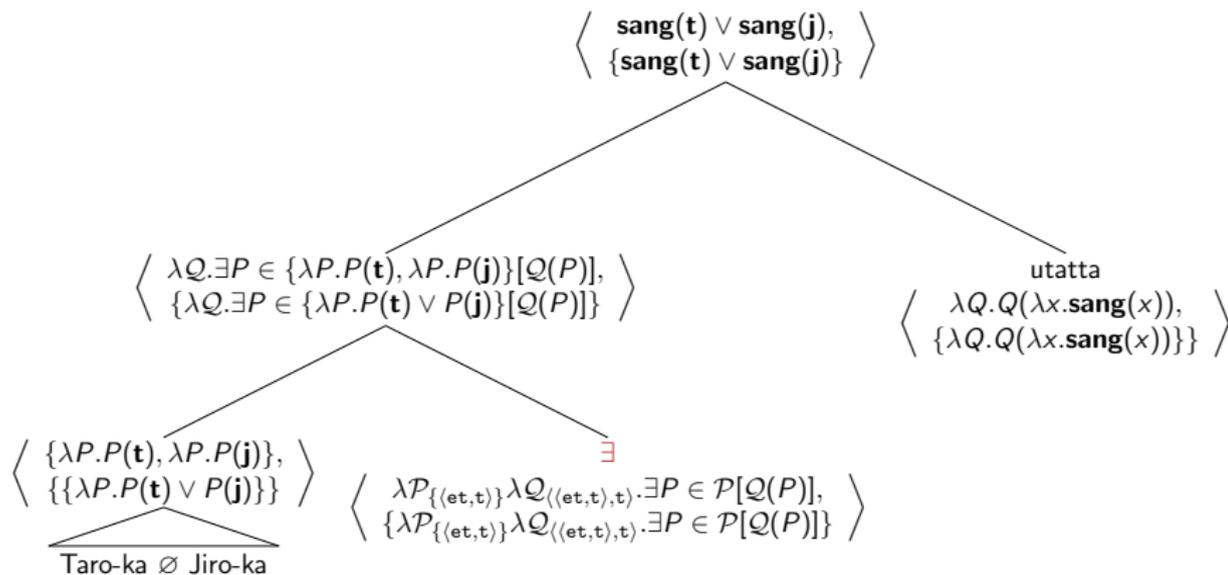
a.  $\llbracket [\text{Taro-ka}]_{DP} \emptyset [\text{Jiro-ka}]_{DP} \rrbracket^{\circ} = \{ \mathbf{t} \} \cup \{ \mathbf{j} \} = \{ \mathbf{t}, \mathbf{j} \}$

b.  $\llbracket [\text{Taro-ga utatta-ka}]_{CP} \emptyset [\text{Jiro-ga utatta-ka}]_{CP} \rrbracket^{\circ}$   
 $= \{ \mathbf{sang}(\mathbf{t}) \} \cup \{ \mathbf{sang}(\mathbf{j}) \}$   
 $= \{ \mathbf{sang}(\mathbf{t}), \mathbf{sang}(\mathbf{j}) \}$

- ▶ In (25b), we already see how a CP-*ka*-disjunction gives rise to a semantic representation of an **alt-Q**, i.e., a set of alternative propositions.

# Accounting for the V-statement interpretation

(26)



# Outline

1. Data
  - 1.1 Syntactic conditions on the interpretation of *wh-ka*
  - 1.2 Syntactic conditions on the interpretation of *ka*-disjunctions
  - 1.3 A generalization across the two constructions
2. Analysis of *wh-ka* constructions
3. Extension to *ka*-disjunctions
4. **Embedding under proposition-taking predicates**
5. Conclusions

## A problem with proposition-taking predicates

- ▶ As it stands now, the current analysis predicts that CP-*wh-ka* and CP-*ka*-disjunctions are interpreted existentially when **embedded under proposition-taking predicates** like *believe*.
  - ▶ *believe* is proposition-taking.
  - ▶ CP-*wh-ka* and CP-*ka*-disjunctions denote sets of propositions.
  - ▶ **Type-mismatch**  $\Rightarrow$  repair by  $\exists$

- (27) a. \* Hanako-wa [ dare-ga utatta-ka ] **shinjiteiru.**  
Hanako-TOP who-NOM sang-KA believe
- b. \* Hanako-wa [[ Taro-ga utatta-ka ] [ Jiro-ga  
Hanako-TOP Taro-NOM sang-KA Jiro-NOM  
utatta-ka ]] **shinjiteiru.**  
cam-KA believe

## A problem with proposition-taking predicates

- ▶ As it stands now, the current analysis predicts that CP-*wh-ka* and CP-*ka*-disjunctions are interpreted existentially when **embedded under proposition-taking predicates** like *believe*.
  - ▶ *believe* is proposition-taking.
  - ▶ CP-*wh-ka* and CP-*ka*-disjunctions denote sets of propositions.
  - ▶ **Type-mismatch**  $\Rightarrow$  repair by  $\exists$

- (27) a. \* Hanako-wa [ dare-ga utatta-ka ] **shinjiteiru.**  
Hanako-TOP who-NOM sang-KA believe
- b. \* Hanako-wa [[ Taro-ga utatta-ka ] [ Jiro-ga  
Hanako-TOP Taro-NOM sang-KA Jiro-NOM  
utatta-ka ]] **shinjiteiru.**  
cam-KA believe

## A problem with proposition-taking predicates

- ▶ As it stands now, the current analysis predicts that CP-*wh-ka* and CP-*ka*-disjunctions are interpreted existentially when **embedded under proposition-taking predicates** like *believe*.
  - ▶ *believe* is proposition-taking.
  - ▶ CP-*wh-ka* and CP-*ka*-disjunctions denote sets of propositions.
  - ▶ **Type-mismatch**  $\Rightarrow$  repair by  $\exists$

- (27) a. \* Hanako-wa [ dare-ga utatta-ka ] **shinjiteiru.**  
Hanako-TOP who-NOM sang-KA believe
- b. \* Hanako-wa [[ Taro-ga utatta-ka ] [ Jiro-ga  
Hanako-TOP Taro-NOM sang-KA Jiro-NOM  
utatta-ka ]] **shinjiteiru.**  
cam-KA believe

## A problem with proposition-taking predicates

- ▶ As it stands now, the current analysis predicts that CP-*wh-ka* and CP-*ka*-disjunctions are interpreted existentially when **embedded under proposition-taking predicates** like *believe*.
  - ▶ *believe* is proposition-taking.
  - ▶ CP-*wh-ka* and CP-*ka*-disjunctions denote sets of propositions.
  - ▶ **Type-mismatch**  $\Rightarrow$  repair by  $\exists$

- (27) a. \* Hanako-wa [ dare-ga utatta-ka ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe
- b. \* Hanako-wa [[ Taro-ga utatta-ka ] [ Jiro-ga  
Hanako-TOP Taro-NOM sang-KA Jiro-NOM  
utatta-ka ]] **shinjiteiru**.  
cam-KA believe

## A problem with proposition-taking predicates (cont.)

- ▶ The analysis up to this point predicts the following pair to have equivalent interpretations.

(28) ✓ Hanako-wa [ dare-ka-ga utatta-to ] shinjiteiru.  
Hanako-TOP who-KA-NOM sang-that believe  
'Hanako believes that someone sang.'

(29) \* Hanako-wa [ dare-ga utatta-ka ] shinjiteiru.  
Hanako-TOP who-NOM sang-KA believe

- ▶ The only difference would be where  $\exists$  is applied.
  - ▶ In (28),  $\exists$  would be applied at the DP level .
  - ▶ In (29),  $\exists$  would be applied at the CP level.
- ▶ The above contrast thus calls for an additional explanation.

## A problem with proposition-taking predicates (cont.)

- ▶ The analysis up to this point predicts the following pair to have equivalent interpretations.

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe  
'Hanako believes that someone sang.'

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

- ▶ The only difference would be where  $\exists$  is applied.
  - ▶ In (28),  $\exists$  would be applied at the DP level .
  - ▶ In (29),  $\exists$  would be applied at the CP level.
- ▶ The above contrast thus calls for an additional explanation.

## A problem with proposition-taking predicates (cont.)

- ▶ The analysis up to this point predicts the following pair to have equivalent interpretations.

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe  
'Hanako believes that someone sang.'

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

- ▶ The only difference would be where  $\exists$  is applied.
  - ▶ In (28),  $\exists$  would be applied at the DP level .
  - ▶ In (29),  $\exists$  would be applied at the CP level.
- ▶ The above contrast thus calls for an additional explanation.

## A problem with proposition-taking predicates (cont.)

- ▶ The analysis up to this point predicts the following pair to have equivalent interpretations.

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe  
'Hanako believes that someone sang.'

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

- ▶ The only difference would be where  $\exists$  is applied.
  - ▶ In (28),  $\exists$  would be applied at the DP level .
  - ▶ In (29),  $\exists$  would be applied at the CP level.
- ▶ The above contrast thus calls for an additional explanation.

## A problem with proposition-taking predicates (cont.)

- ▶ The analysis up to this point predicts the following pair to have equivalent interpretations.

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe  
'Hanako believes that someone sang.'

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

- ▶ The only difference would be where  $\exists$  is applied.
  - ▶ In (28),  $\exists$  would be applied at the DP level .
  - ▶ In (29),  $\exists$  would be applied at the CP level.
- ▶ The above contrast thus calls for an additional explanation.

# Blocking-based account

## Blocking

A form  $\alpha$  BLOCKS form  $\beta$  with an equivalent interpretation if  $\alpha$  is derived more economically than  $\beta$ . (Aronoff 1976; Horn 1984; Blutner 2000)

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

(29) is blocked by (28) since (28) is more 'economical' than (29):

- ▶ A DP never appears in an arg. position of a set-compatible pred.
- ▶ The syntactic status of *wh-ka* as a DP in (28) guarantees that it will be existentially closed.
- ▶ The syntactic status of *wh...ka* as a CP in (29) does **not** guarantee that it will be existentially closed.
- ▶ The *wh...ka* in (29) is **locally ambiguous** while the *wh-ka* in (28) isn't.  $\Rightarrow$  (28) is more economical than (29).

# Blocking-based account

## Blocking

A form  $\alpha$  BLOCKS form  $\beta$  with an equivalent interpretation if  $\alpha$  is derived more economically than  $\beta$ . (Aronoff 1976; Horn 1984; Blutner 2000)

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

(29) is blocked by (28) since (28) is more 'economical' than (29):

- ▶ A DP never appears in an arg. position of a set-compatible pred.
- ▶ The syntactic status of *wh-ka* as a **DP** in (28) **guarantees** that it will be existentially closed.
- ▶ The syntactic status of *wh...ka* as a **CP** in (29) does **not** guarantee that it will be existentially closed.
- ▶ The *wh...ka* in (29) is **locally ambiguous** while the *wh-ka* in (28) isn't.  $\Rightarrow$  (28) is more economical than (29).

# Blocking-based account

## Blocking

A form  $\alpha$  BLOCKS form  $\beta$  with an equivalent interpretation if  $\alpha$  is derived more economically than  $\beta$ . (Aronoff 1976; Horn 1984; Blutner 2000)

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

(29) is blocked by (28) since (28) is more 'economical' than (29):

- ▶ A DP never appears in an arg. position of a set-compatible pred.
- ▶ The syntactic status of *wh-ka* as a **DP** in (28) **guarantees** that it will be existentially closed.
- ▶ The syntactic status of *wh...ka* as a **CP** in (29) does **not** guarantee that it will be existentially closed.
- ▶ The *wh...ka* in (29) is **locally ambiguous** while the *wh-ka* in (28) isn't. ⇒ (28) is more economical than (29).

# Blocking-based account

## Blocking

A form  $\alpha$  BLOCKS form  $\beta$  with an equivalent interpretation if  $\alpha$  is derived more economically than  $\beta$ . (Aronoff 1976; Horn 1984; Blutner 2000)

(28) ✓ Hanako-wa [ dare-**ka**-ga utatta-to ] **shinjiteiru**.  
Hanako-TOP who-KA-NOM sang-that believe

(29) \* Hanako-wa [ dare-ga utatta-**ka** ] **shinjiteiru**.  
Hanako-TOP who-NOM sang-KA believe

(29) is blocked by (28) since (28) is more 'economical' than (29):

- ▶ A DP never appears in an arg. position of a set-compatible pred.
- ▶ The syntactic status of *wh-ka* as a **DP** in (28) **guarantees** that it will be existentially closed.
- ▶ The syntactic status of *wh...ka* as a **CP** in (29) does **not** guarantee that it will be existentially closed.
- ▶ The *wh...ka* in (29) is **locally ambiguous** while the *wh-ka* in (28) isn't.  $\Rightarrow$  (28) is more economical than (29).

## Prediction of the blocking-based account

- ▶ **Prediction:** *ka* attaching to a CP *can* receive an existential interpretation if there is no competing form with an equivalent interpretation.
- ▶ This is precisely what happens in the following examples:

(30) [ Dare-ga kita-kara-**ka** ] Taro-wa yorokondeita.  
who-NOM came-because-KA Taro-TOP was.happy  
'For some person *x*, because *x* came, Taro was happy.'  
(*'because'*-clause)

(31) [ Dare-ni au-tame-**ka** ] Taro-wa hayaku  
who-DAT meet-in.order.to-KA Taro-TOP early  
daigaku-ni kita.  
university-GOAL came.  
'For some person *x*, to meet *x*, Taro came to the the uni  
early.'  
(*'purpose'*-clause)

## Prediction of the blocking-based account

- ▶ **Prediction:** *ka* attaching to a CP *can* receive an existential interpretation if there is no competing form with an equivalent interpretation.
- ▶ This is precisely what happens in the following examples:

(30) [ Dare-ga kita-kara-ka ] Taro-wa yorokondeita.  
who-NOM came-because-KA Taro-TOP was.happy  
'For some person  $x$ , because  $x$  came, Taro was happy.'  
(*'because'-clause*)

(31) [ Dare-ni au-tame-ka ] Taro-wa hayaku  
who-DAT meet-in.order.to-KA Taro-TOP early  
daigaku-ni kita.  
university-GOAL came.  
'For some person  $x$ , to meet  $x$ , Taro came to the the uni  
early.'  
(*purpose-clause*)





## Prediction of the blocking-based account (cont.)

(32) [ Dare-ga kita-**kara-ka** ] Taro-wa yorokondeita.  
who-NOM came-because-KA Taro-TOP was.happy  
'For some person  $x$ , because  $x$  came, Taro was happy.'

(33) [ Dare-**ka**-ga kita-**kara** ] Taro-wa yorokondeita.  
who-KA-NOM came-because Taro-TOP was.happy  
'Because someone came, Taro was happy.'

▶ (32) and (33) have different interpretations:

▶ (32)  $\exists >$  'because': 'Taro wanted a specific person to come.'

▶ (33) 'because'  $> \exists$ : 'Taro wanted anyone to come.'

▶ Thus, (33) doesn't block (32).

▶ On the other hand, (34) is bad, as expected.

(34) \*[ Dare-ga kita-**ka-kara** ] Taro-wa yorokondeita.  
who-NOM came-KA-because Taro-TOP was.happy  
Intended: 'Because someone came, Taro was happy.'

## Prediction of the blocking-based account (cont.)

(32) [ Dare-ga kita-**kara-ka** ] Taro-wa yorokondeita.  
who-NOM came-because-KA Taro-TOP was.happy  
'For some person  $x$ , because  $x$  came, Taro was happy.'

(33) [ Dare-**ka**-ga kita-**kara** ] Taro-wa yorokondeita.  
who-KA-NOM came-because Taro-TOP was.happy  
'Because someone came, Taro was happy.'

▶ (32) and (33) have different interpretations:

▶ (32)  $\exists >$  'because': 'Taro wanted a specific person to come.'

▶ (33) 'because'  $> \exists$ : 'Taro wanted anyone to come.'

▶ Thus, (33) doesn't block (32).

▶ On the other hand, (34) is bad, as expected.

(34) \*[ Dare-ga kita-**ka-kara** ] Taro-wa yorokondeita.  
who-NOM came-KA-because Taro-TOP was.happy  
Intended: 'Because someone came, Taro was happy.'

## Prediction of the blocking-based account (cont.)

(32) [ Dare-ga kita-**kara-ka** ] Taro-wa yorokondeita.  
who-NOM came-because-KA Taro-TOP was.happy  
'For some person  $x$ , because  $x$  came, Taro was happy.'

(33) [ Dare-**ka**-ga kita-**kara** ] Taro-wa yorokondeita.  
who-KA-NOM came-because Taro-TOP was.happy  
'Because someone came, Taro was happy.'

- ▶ (32) and (33) have different interpretations:
  - ▶ (32)  $\exists >$  'because': 'Taro wanted a specific person to come.'
  - ▶ (33) 'because'  $> \exists$ : 'Taro wanted anyone to come.'
- ▶ Thus, (33) doesn't block (32).
- ▶ On the other hand, (34) is bad, as expected.

(34) \*[ Dare-ga kita-**ka-kara** ] Taro-wa yorokondeita.  
who-NOM came-KA-because Taro-TOP was.happy  
Intended: 'Because someone came, Taro was happy.'

## Prediction of the blocking-based account (cont.)

(32) [ Dare-ga kita-**kara-ka** ] Taro-wa yorokondeita.  
who-NOM came-because-KA Taro-TOP was.happy  
'For some person  $x$ , because  $x$  came, Taro was happy.'

(33) [ Dare-**ka**-ga kita-**kara** ] Taro-wa yorokondeita.  
who-KA-NOM came-because Taro-TOP was.happy  
'Because someone came, Taro was happy.'

- ▶ (32) and (33) have different interpretations:
  - ▶ (32)  $\exists >$  'because': 'Taro wanted a specific person to come.'
  - ▶ (33) 'because'  $> \exists$ : 'Taro wanted anyone to come.'
- ▶ Thus, (33) doesn't block (32).
- ▶ On the other hand, (34) is bad, as expected.

(34) \*[ Dare-ga kita-**ka-kara** ] Taro-wa yorokondeita.  
who-NOM came-KA-because Taro-TOP was.happy  
Intended: 'Because someone came, Taro was happy.'

## Prediction of the blocking-based account (cont.)

(32) [ Dare-ga kita-**kara-ka** ] Taro-wa yorokondeita.  
who-NOM came-because-KA Taro-TOP was.happy  
'For some person  $x$ , because  $x$  came, Taro was happy.'

(33) [ Dare-**ka**-ga kita-**kara** ] Taro-wa yorokondeita.  
who-KA-NOM came-because Taro-TOP was.happy  
'Because someone came, Taro was happy.'

- ▶ (32) and (33) have different interpretations:
  - ▶ (32)  $\exists >$  'because': 'Taro wanted a specific person to come.'
  - ▶ (33) 'because'  $> \exists$ : 'Taro wanted anyone to come.'
- ▶ Thus, (33) doesn't block (32).
- ▶ On the other hand, (34) is bad, as expected.

(34) \*[ Dare-ga kita-**ka-kara** ] Taro-wa yorokondeita.  
who-NOM came-KA-because Taro-TOP was.happy  
Intended: 'Because someone came, Taro was happy.'



1. Data
  - 1.1 Syntactic conditions on the interpretation of *wh-ka*
  - 1.2 Syntactic conditions on the interpretation of *ka*-disjunctions
  - 1.3 A generalization across the two constructions
2. Analysis of *wh-ka* constructions
3. Extension to *ka*-disjunctions
4. Embedding under proposition-taking predicates
5. **Conclusions**

# Back to the initial questions

## Overarching research question

How can we account for the multi-functionality of *ka* with a **unified semantics**?

## 1. Explaining the two uses of *wh-ka* constructions

How can we account for the fact that *wh-ka* constructions give rise to ***wh-questions*** and ***indefinites***, depending on the syntactic position of *ka*?

## 2. Explaining the functions of *ka* as a Q-particle and as a disj-marker

How can we extend the analysis of *ka* as a **question particle** (resulting from the investigation into the first question) to its use as a **disjunction marker**?

# Answer to the first sub-question

## 1. Explaining the two uses of *wh-ka* constructions

How can we account for the fact that *wh-ka* constructions give rise to *wh-questions* and *existential statement*, depending on the syntactic position of *ka*?

- ▶ *ka* always projects a **set of alternatives**.
- ▶ If the *ka*-phrase is embedded under a **set-incompatible predicate**, the set has to undergo **existential closure** due to a type-mismatch.  $\Rightarrow \exists$ -statement
- ▶ If the *ka*-phrase is a **matrix CP** or **embedded under set-compatible predicate**, there is **no existential closure**.  $\Rightarrow$  *wh-Q*

## Answer to the second sub-question

### 2. Explaining the functions of *ka* as a Q-particle and as a disj-marker

How can we extend the analysis of *ka* as a **question particle** (resulting from the investigation into the first question) to its use as a **disjunction marker**?

- ▶ *ka*-disjunctions involve a **union of the singleton sets** projected by each *ka*-phrase.
- ▶ If the *ka*-disjunction is embedded under a **set-incompatible predicate**, the set has to undergo **existential closure** due to a type-mismatch.  $\Rightarrow$  V-statement
- ▶ If the *ka*-disjunction is a **matrix CP** or **embedded under set-compatible predicate**, there is **no existential closure**.  $\Rightarrow$  alt-Q

## Remaining puzzle: Ignorance implication

- ▶ But, there is another aspect of the meaning of *ka* which we have not discussed yet: **the ignorance implication**.
- ▶ Nishigauchi's (1990) observation: the following pair differ in the ignorance implication:

- (35) a. Dare-**ka**-kara henna tegami-ga todoi-ta.  
who-KA-from strange letter-NOM arrive-PAST  
'A strange letter sang from somebody.'
- b. Dare-kara-**ka** henna tegami-ga todoi-ta.  
'A strange letter sang from god knows who.'

- ▶ (35a) can be felicitous in a situation where the speaker knows the description of the sender (e.g., 'that guy who always stands at that corner of Pleasant Street') whereas (35b) isn't.

## Appendix: problem with extending Hagstrom to *ka*-disj.

- ▶ Although Hagstrom does not offer an analysis of *ka*-disjunctions, Slade (2011) extends the choice-function analysis to a similar disjunctive construction in Sinhala.
- ▶ Under such an analysis, *kas* in a disjunction are attracted by  $C_{[+int]}$  and undergoes an overt movement while they undergo a covert movement under  $C_{[-int]}$ .
- ▶ The analysis would incorrectly predict an AltQ interpretation for (37), which would be derived by the overt ATB movement of *ka* in (36).

(36) [ Hanako-ka (soreka) Jiro-ka ]-ga utatta.  
Hanako-KA or Jiro-KA -NOM sang.  
'Hanako or Jiro sang.'

(37) [ Hanako \*(soreka) Jiro ]-ga utatta-**ka**.  
Hanako or Jiro -NOM sang-KA  
'Is it the case that either Hanako or Jiro sang?'

## Appendix: problem with extending Shimoyama to *ka*-disj.

- ▶ Shimoyama (2006) does not discuss *ka*-disjunctions explicitly, but a natural way to extend her analysis to them would be to employ the alternative-semantic analysis of disjunctions (Kratzer & Shimoyama 2002, Beck and Kim 2006).
- ▶ This analysis would incorrectly predict an alt-Q interpretation for the following examples involving *ka*-disjunctions smaller than CPs:

(38) [ Hanako-**ka** Jiro-**ka** ]-ga utatta-**ka**.  
Hanako-KA Jiro-KA -NOM sang-KA.  
'whether or not Hanako or Jiro sang.' (✓ pol-Q/\*alt-Q)

# References I

- ▶ Beck, Sigrid. 2006. Intervention effects follow from focus interpretation. *NALS* 14(1):1–56.
- ▶ Beck, Sigrid and Shin-Sook Kim. 2006. Intervention effects in alternative questions. *Journal of Comparative Germanic Linguistics* 9:165–208.
- ▶ Biezma, Maria and Kyle Rawlins. 2012. Responding to alternative and polar questions. *Linguistics and Philosophy* 35(5):361–406.
- ▶ Cable, Seth. 2010. *The Grammar of Q: Q-Particles, Wh-movement and Pied-Piping*. OUP.
- ▶ Ciardelli, Ivano, Floris Roelofsen & Nadine Theiler. 2015. Alternatives in Montague Grammar: Compositionality, entailment and coordination. Ms, UvA.
- ▶ den Dikken, Marcel. 2006. *Either-float and the syntax of co-ordination*. *NLLT* 24:689–749.
- ▶ Hagstrom, Paul. 1998. *Decomposing questions*. Ph.D. thesis, MIT.
- ▶ Hamblin, Charles L. 1973. Questions in Montague English. *Foundations of Language* 10(1):41–53.

## References II

- ▶ Jayaseelan, K.A. 2001. Questions and question-word incorporating quantifiers in Malayalam. *Syntax* 4(2):63–93.
- ▶ Kishimoto, Hideki. 2013. Nihongo no toogo koozoo: Sookan tooisetu kara mita kaisoo (The syntactic structure of Japanese: The hierarchy in the view from correlative conjunctive clauses). In Y. Endo, ed., *Sekai ni Muketa Nihongo Kenkyuu (Studies of Japanese to the World)*, 15–43. Tokyo: Kaitaku-sha.
- ▶ Kotek, Hadas. 2014. Composing Questions. Ph.D. thesis, MIT.
- ▶ Kuroda, Shige-Yuki. 1965. *Generative Grammatical Studies in the Japanese Language*. Ph.D. thesis, MIT.
- ▶ Mitrović, Moreno & Uli Sauerland. 2014. Decomposing coordination. *NELS* 44:39–52.
- ▶ Miyama, Mioko. 2015. On the “clausal-connective” and “nominal-connective” *ka* ‘or’ in Japanese. *Linguistic Research* 30:23–40.
- ▶ Novel, Marc & Maribel Romero. Movement, variables and Hamblin alternatives. *Sinn und Bedeutung* 14:322–338.

## References III

- ▶ Roelofsen, Floris & Donka Farkas. Polarity particle responses as a window onto the interpretations of questions and assertions. *Language* 91(2):359–414
- ▶ Rooth, Mats. 1985. *Association with Focus*. Ph.D. thesis, UMass Amherst.
- ▶ Shan, Chung-chieh. 2004. Binding alongside Hamblin alternatives calls for variable-free semantics. *SALT 14*.
- ▶ Shimoyama, Junko. 2006. Indeterminate phrase quantification in Japanese. *NALS* 14:139–173.
- ▶ Slade, Benjamin. 2011. Formal and Philological Inquiries into the Nature of Interrogatives, Indefinites, Disjunction, and Focus in Sinhala and Other Languages, Ph.D. thesis, UIUC.
- ▶ Szabolcsi, Anna. 2015. What quantifier particles do. *Linguistics and Philosophy*.
- ▶ Theiler, Nadine, Floris Roelofsen & Maria Aloni. A truthful resolution semantics for declarative and interrogative complements. Ms., UvA.
- ▶ Uegaki, Wataru. 2014. Japanese alternative questions are disjunctions of polar questions. *SALT* 24:42–62